

VK Multimedia Information Systems

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Information Retrieval Basics: Agenda

• Vector Retrieval Model – Exercise 01

Other Retrieval Models

- Common Retrieval Methods
 - Query Modification
 - Co-Occurrence
 - Relevance Feedback
- Exercise 02





Other Retrieval Models: Set Theoretic Models



• Fuzzy Set Model

- Each query term defines a fuzzy set
- Each document has a degree of membership
- Done e.g. with query expansion (co-occurrence or thesaurus)
- Extended Boolean Model
 - Incorporates non binary weights
 - Geometric interpretation: Distance between document vector and desired Boolean state (query)



Algebraic Models: Generalized Vector Space M.

- Term independence not necessary
- Terms (as dimensions) are not orthogonal and may be linear dependent.
- Smaller linear independent units exist.
 - m ... minterm
 - Constructed from co-occurrence: 2^t minterms
- Dimensionality a problem
 - Number of active minterms (which actually occur in a document)
 - Depends on the number of documents





- Introduced 1988, LSI / LSA
- Concept matching vs. term matching
- Mapping documents & terms to concept space:
 - Fewer dimensions
 - Like clustering

ALPEN-ADRIE EC, Klagenfurt University, Austria – Multimedia



- Let M_{ij} be the document term matrix
 with t rows (terms) and N cols (docs)
- Decompose M_{ij} into K*S*D^t
 - K .. matrix of eigenvectors from term-to-term (cooccurence) matrix
 - *D^t* ... matrix of eigenvectors from doc-to-doc matrix
 S ... *r* x *r* diagonal matrix of singular values with
 r=min(t,N), the rank of *M_{ij}*





- With $M_{ij} = K^* S^* D^t ...$
- Only the *s* largest singular values from *S*:
 - Others are deleted
 - Respective columns in K and D^t remain

•
$$M_s = K_s * S_s * D_s^t \dots$$

- -s < r is new rank of M
- s large enough to fit in all data
- s small enough to cut out unnecessary details





- Reduced doc-to-doc matrix:
 - $-M_s^t M_s$ is NxN Matrix quantifying the relationship between documents
- Retrieval is based on pseudo-document
 - Let column 0 in M_{ij} be the query
 - Calculate $M_s^t * M_s$
 - First row (or column) gives the relevance



- Advantages
 - M even more sparse
 - Retrieval on a "conceptual" level
- Disadvantages
 - Doc-to-doc matrix might be quite big
 - Therefore: Processing time





Example of text data: Titles of Some Technical Memos

- c1: Human machine interface for ABC computer applications
- c2: A survey of user opinion of computer system response time
- c3: The EPS user interface management system
- c4: System and human system engineering testing of EPS
- c5: Relation of *user* perceived *response time* to error measurement
- m1: The generation of random, binary, ordered trees
- m2: The intersection *graph* of paths in *trees*
- m3: Graph minors IV: Widths of trees and well-quasi-ordering
- m4: Graph minors: A survey

from Landauer, T. K., Foltz, P. W., & Laham, D. (1998). Introduction to Latent Semantic Analysis. Discourse Processes, 25, 259-284.





${X} =$

	c 1	c 2	c 3	c 4	c 5	m1	m 2	m3	m4
human	1	0	0	1	0	0	0	0	0
interface	1	0	1	0	0	0	0	0	0
computer	1	1	0	0	0	0	0	0	0
user	0	1	1	0	1	0	0	0	0
system	0	1	1	2	0	0	0	0	0
response	0	1	0	0	1	0	0	0	0
time	0	1	0	0	1	0	0	0	0
EPS	0	0	1	1	0	0	0	0	0
survey	0	1	0	0	0	0	0	0	1
trees	0	0	0	0	0	1	1	1	0
graph	0	0	0	0	0	0	1	1	1
minors	0	0	0	0	0	0	0	1	1

from Landauer, T. K., Foltz, P. W., & Laham, D. (1998). Introduction to Latent Semantic Analysis. Discourse Processes, 25, 259-284.

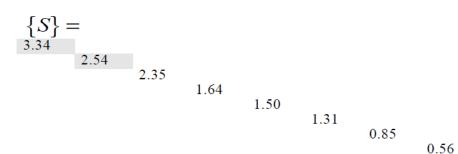


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-



$\{W\}$	=							
0.22	-0.11	0.29	-0.41	-0.11	-0.34	0.52	-0.06	-0.41
0.20	-0.07	0.14	-0.55	0.28	0.50	-0.07	-0.01	-0.11
0.24	0.04	-0.16	-0.59	-0.11	-0.25	-0.30	0.06	0.49
0.40	0.06	-0.34	0.10	0.33	0.38	0.00	0.00	0.01
0.64	-0.17	0.36	0.33	-0.16	-0.21	-0.17	0.03	0.27
0.27	0.11	-0.43	0.07	0.08	-0.17	0.28	-0.02	-0.05
0.27	0.11	-0.43	0.07	0.08	-0.17	0.28	-0.02	-0.05
0.30	-0.14	0.33	0.19	0.11	0.27	0.03	-0.02	-0.17
0.21	0.27	-0.18	-0.03	-0.54	0.08	-0.47	-0.04	-0.58
0.01	0.49	0.23	0.03	0.59	-0.39	-0.29	0.25	-0.23
0.04	0.62	0.22	0.00	-0.07	0.11	0.16	-0.68	0.23
0.03	0.45	0.14	-0.01	-0.30	0.28	0.34	0.68	0.18



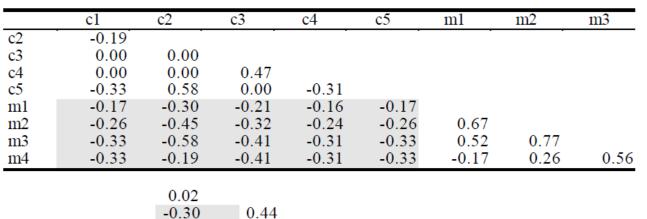
0	
	0.36

$\{P\}$	=							
0.20	0.61	0.46	0.54	0.28	0.00	0.01	0.02	0.08
-0.06	0.17	-0.13	-0.23	0.11	0.19	0.44	0.62	0.53
0.11	-0.50	0.21	0.57	-0.51	0.10	0.19	0.25	0.08
-0.95	-0.03	0.04	0.27	0.15	0.02	0.02	0.01	-0.03
0.05	-0.21	0.38	-0.21	0.33	0.39	0.35	0.15	-0.60
-0.08	-0.26	0.72	-0.37	0.03	-0.30	-0.21	0.00	0.36
0.18	-0.43	-0.24	0.26	0.67	-0.34	-0.15	0.25	0.04
-0.01	0.05	0.01	-0.02	-0.06	0.45	-0.76	0.45	-0.07
-0.06	0.24	0.02	-0.08	-0.26	-0.62	0.02	0.52	-0.45



	c1	c2	c3	c4	c5	m1	m2	m3	m4
human	0.16	0.40	0.38	0.47	0.18	-0.05	-0.12	-0.16	-0.09
interface	0.14	0.37	0.33	0.40	0.16	-0.03	-0.07	-0.10	-0.04
computer	0.15	0.51	0.36	0.41	0.24	0.02	0.06	0.09	0.12
user	0.26	0.84	0.61	0.70	0.39	0.03	0.08	0.12	0.19
system	0.45	1.23	1.05	1.27	0.56	-0.07	-0.15	-0.21	-0.05
response	0.16	0.58	0.38	0.42	0.28	0.06	0.13	0.19	0.22
time	0.16	0.58	0.38	0.42	0.28	0.06	0.13	0.19	0.22
EPS	0.22	0.55	0.51	0.63	0.24	-0.07	-0.14	-0.20	-0.11
survey	0.10	0.53	0.23	0.21	0.27	0.14	0.31	0.44	0.42
trees	-0.06	0.23	-0.14	-0.27	0.14	0.24	0.55	0.77	0.66
graph	-0.06	0.34	-0.15	-0.30	0.20	0.31	0.69	0.98	0.85
minors	-0.04	0.25	-0.10	-0.21	0.15	0.22	0.50	0.71	0.62

	c 1	c 2	c 3	c 4	c 5	m1	m2	m3	m4
human	1	0	0	1	0	0	0	0	0
interface	1	0	1	0	0	0	0	0	0
computer	1	1	0	0	0	0	0	0	0
user	0	1	1	0	1	0	0	0	0
system	0	1	1	2	0	0	0	0	0
response	0	1	0	0	1	0	0	0	0
time	0	1	0	0	1	0	0	0	0
EPS	0	0	1	1	0	0	0	0	0
survey	0	1	0	0	0	0	0	0	1
trees	0	0	0	0	0	1	1	1	0
graph	0	0	0	0	0	0	1	1	1
minors	0	0	0	0	0	0	0	1	1



Correlations between titles in raw data:

-0.50 0.4

Correlations in two dimensional space:

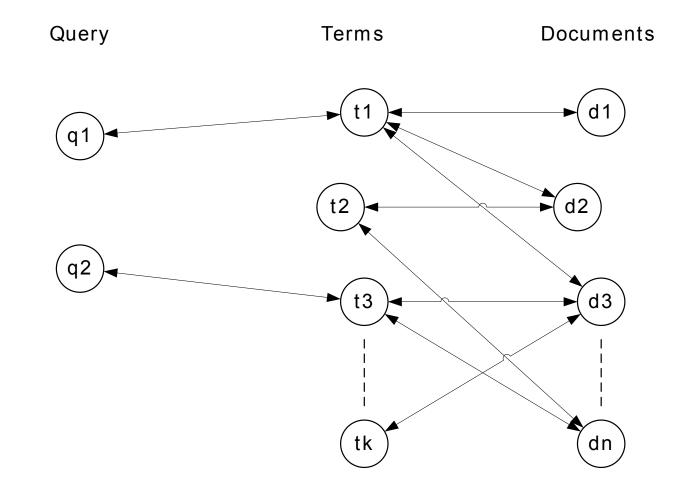
c2 c3 c4 c5 m1 m2 m3 m4	0.91 1.00 1.00 0.85 -0.85 -0.85 -0.85 -0.85 -0.85	0.91 0.88 0.99 -0.56 -0.56 -0.56 -0.50	1.00 0.85 -0.85 -0.85 -0.85 -0.85 -0.81	0.81 -0.88 -0.88 -0.88 -0.84	-0.45 -0.44 -0.44 -0.37	$1.00 \\ 1.00 \\ 1.00$	$1.00 \\ 1.00$	1.00
m4	-0.81	-0.50	-0.81	-0.84	-0.37	1.00	1.00	1.00
		0.92 -0.72	1.00					



- Neural Network:
 - Neurons emit signals to other neurons
 - Graph interconnected by synaptic connections
- Three levels:
 - Query terms, terms & documents











- Query term is "activated"
 - Usually with weight 1
 - Query term weight is used to "weaken" the signal
- Connected terms receive signal
 - Term weight "weakens" the signal
- Connected documents receive signal
 - Different activation sources are "combined"



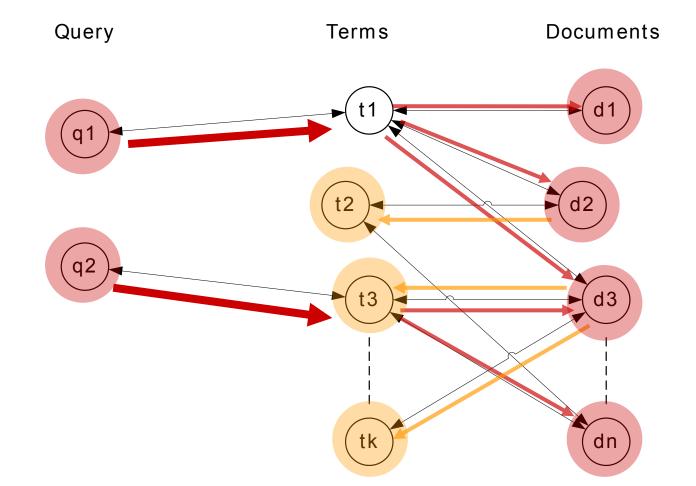


- First round query terms -> terms -> docs

 Equivalent to vector model
- Further rounds increase retrieval performance













- How discard assumption on mutual independence of terms?
- Idea: n-grams instead of terms
 - n being 2, 3, 4, ...

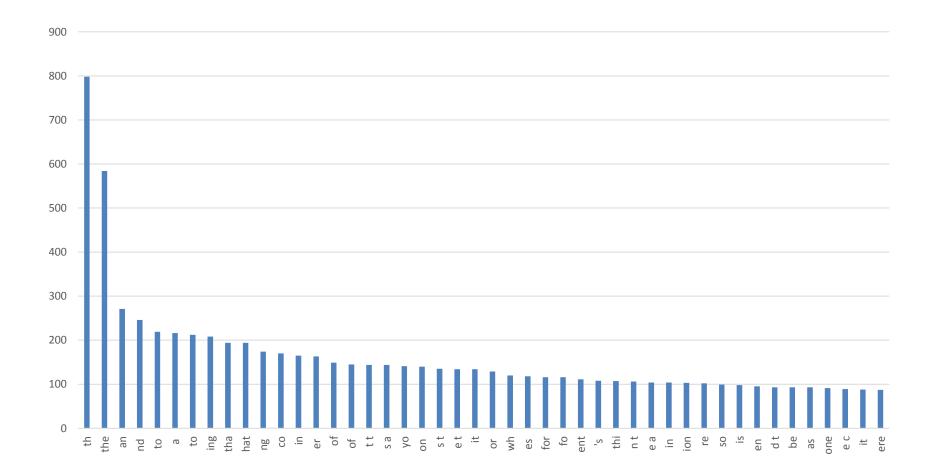


Example Trigrams

- Original document
 "The quick brown fox"
- Trigrams (letter based)
 {The, he_, e_q, _qu, qui, uic, ick, ck_, ...}
- Trigrams (word based)
 - {The quick brown, quick brown fox}



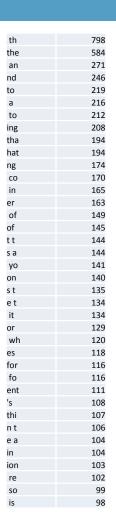
Example: Cory Doctorows DRM talk, trigrams





Code in Python

<pre>with open("test.txt") as f: content = f.readlines()</pre>
tv = {}
<pre>for x in content: x = x.strip().lower() # check if it is not an empty line. if x != "": # create trigrams: strLength = len(x) for myInt in range(0, len(x)-3): k = x[myInt:myInt+3] if k in tv: tv[k] +=1 else: tv[k] =1</pre>
<pre>for x in tv.keys(): print(x + "\t" + str(tv[x]))</pre>





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- Exercise 03





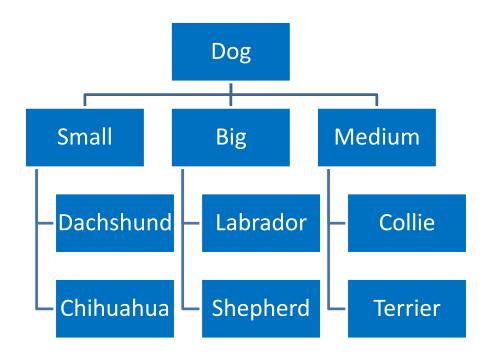
Query Modification

- Query expansion
 - General method to increase either
 - number of results or
 - accuracy
 - Query itself is modified:
 - Terms are added (co-occurrence, thesaurii)



Query Expansion

- Integrate existing knowledge
 - Taxonomies
 - Ontologies
- Modify query
 - Related terms
 - Narrower terms
 - Broader terms





Term Reweighting

- To improve accuracy of ranking
- Query term weights are changed
 - Note: no terms are added / removed
 - Result ranking changes



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- Common Retrieval Methods – Query Modification
 - Co-Occurrence

Relevance Feedback

• Exercise 03





Co-Occurrence



- Quantify relations between terms
 - Based on how often they occur together
 - Not based on the position
- Let M_{ij} be the document term matrix
 with t rows (terms) and N cols (docs)
- M*M^t is the "co-occurrence" matrix



Co-Occurrence: Example



d1	d2	d3	d4	d5
7	7	0	8	3
5	1	4	0	3
0	1	5	0	0
6	1	0	0	4
1	2	0	6	0
	7 5 0	7 7 5 1 0 1 6 1	7 7 0 5 1 4 0 1 5 6 1 0	7 7 0 8 5 1 4 0 0 1 5 0 6 1 0 0

7	5	0	6	1
7	1	1	1	2
0	4	5	0	0
8	0	0	0	6
3	3	0	4	0



Co-Occurrence: Example

	com puter	pda	cellphone	wlan	network
computer	171	51	7	61	69
pda	51	51	21	43	7
cellphone	7	21	26	1	2
wlan	61	43	1	53	8
network	69	7	2	8	41

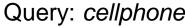


Co-Occurrence & Query Expansion



OR pda

	computer	pda	cellphone	wlan	network	
computer	171	51	7	61	69	
pda	51	51	21	43	7	
cellphone	7	21	26	1	2	
wlan	61	43	1	53	8	
network	69	7	2	8	41	
cellphone		/			Q	uery: <i>cellphone</i>



EN-ADRIA

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- Popular Query Reformulation Strategy:
 - User gets list of docs presented
 - User marks relevant documents
 - Typically~10-20 docs are presented
 - Query is refined, new search is issued
- Proposed Effect:
 - Query moves more toward relevant docs
 - Away from non relevant docs
 - User does not have to tune herself



- $D_r \subset D...$ set of relevant docs identified by the user
- $D_n \subset D$... set of non relevant docs
- $C_r \subset D$... set of relevant docs
- 2, 2, 2 ... tuning parameters



- Considering an optimal query

 Unlikely and therefore hypothetical
- Which vector retrieves C_r best?

$$\vec{q}_{OPT} = \frac{1}{|C_r|} \cdot \sum_{\forall \vec{d}_j \in C_r} \vec{d}_j - \frac{1}{N - |C_r|} \cdot \sum_{\forall \vec{d}_j \notin C_r} \vec{d}_j$$





Rochio:
$$\vec{q}_m = \alpha \cdot \vec{q} + \frac{\beta}{|D_r|} \cdot \sum_{\forall \vec{d}_j \in D_r} \vec{d}_j - \frac{\gamma}{|D_n|} \cdot \sum_{\forall \vec{d}_j \in D_n} \vec{d}_j$$

Ide: $\vec{q}_m = \alpha \cdot \vec{q} + \beta \cdot \sum_{\forall \vec{d}_j \in D_r} \vec{d}_j - \gamma \cdot \sum_{\forall \vec{d}_j \in D_n} \vec{d}_j$
Ide-Dec-Hi: $\vec{q}_m = \alpha \cdot \vec{q} + \beta \cdot \sum_{\forall \vec{d}_j \in D_r} \vec{d}_j - \gamma \max_{non-relevant} (\vec{d}_j)$



Rochio

– Based on q_{OPT} , \square was 1 in original idea

- Ide
 - 2=2=2=1 in original idea
- Ide-Dec-Hi
 - $-\max_{non-relevant} \dots$ highest ranked doc of D_n

• All three techniques yield similar results ...



- Evaluation issues:
 - Boosts retrieval performance
 - Relevant documents are ranked top
 - But: Already marked by the user
- Evaluation remains complicated issue



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Exercise 02

Install R: http://www.r-project.org/

Co-Occurrence

- Document-term matrix from exercise 01
 - x <- cbind(1, 3, 2, 1, 0, 0, 1, 0, 0, 1, 0, 0, 0, 3, 1, 0, 1,0, 0, 0, 2, 0, 0, 1, 0, 0, 0, 1, 0, 1, 0, 0, 0, 0, 0, 1, 1, 1, 0, 1, 0, 0, 0, 0, 0, 1, 0, 0, 0, 0, 0, 0, 1, 0, 0, 0, 1, 0, 0, 0, 1, 2, 0, 2, 1, 1, 1, 0, 0, 0, 2, 1, 1, 1, 1, 1, 0)
 - x <- matrix(x, ncol=6)
- Compute term-term co-occurrence
- Find the most 3 relevant terms for *"kuckuck"* and *"ei"*
- Apply LSA to Exercise 02 before computing the termterm co-occurrence

- ?svd // helps with svd, %*% is matrix multiplication, use diag() for d







for your attention!

